Plans for Accounting for Observational Uncertainty in ILAMB

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- ILAMB v2.4 released, now python3 only
- ILAMB v2.3.1 is last tag for python2.7x
- Using Slack for development:

```
ilamb-community.slack.com
```

Mailing list:

Argonne

https://www.ilamb.org/mailman/listinfo/ilamb-users

















Relative error is normalized by the variability in the reference:

$$arepsilon_{rel}(\mathbf{x}) = rac{|\overline{v}_{mod}(\mathbf{x}) - \overline{v}_{ref}(\mathbf{x})|}{var(v_{ref}(t,\mathbf{x}))}$$

Spatial score:

$$s(\mathbf{x}) = e^{-\varepsilon_{rel}(\mathbf{x})}, \ \ S = rac{1}{A(\Omega)} \int_{\Omega} s(\mathbf{x}) d\Omega$$



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Problems:

- Models are penalized for any deviation from the reference, no matter how poor the reference
- ▶ For a collection of reference datasets, a perfect score is impossible
- Worse, the maximum possible score will be dependent on the number of datasets















Normalize by uncertainty (denoted $\Delta v_{ref}(t)$):

$$arepsilon_{rel}(t) = rac{\max(|v_{mod}(t) - v_{ref}(t)| - \Delta v_{ref}(t), 0)}{\Delta v_{ref}(t)}$$

Score:

$$s(t)=e^{-arepsilon_{rel}(t)},\ \ S=rac{1}{t_f-t_0}\int s(t)dt$$



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Features:

- perfect score if the model is within the uncertainty
- penalized for bias beyond the uncertainty
- we have no business discriminating models who fall within the uncertainty
- a 'large' bias is relative to our certainty only





















Created a new ET 'data product':

Another normalization option:

$$\varepsilon_{rel}(t, \mathbf{x}) = \frac{\max(|v_{mod}(t, \mathbf{x}) - v_{ref}(t, \mathbf{x})| - \Delta v_{ref}(t, \mathbf{x}), 0)}{var(v_{ref}(t, \mathbf{x}))}$$

Score:

$$s(\mathbf{x}) = rac{1}{t_f - t_0} \int e^{-arepsilon_{rel}(t,\mathbf{x})} dt, \ \ S = rac{1}{A(\Omega)} \int_{\Omega} s(\mathbf{x}) d\Omega$$















Another example - Evapotranspiration



- Does the 'perfect in the envelope' philosophy make sense?
- What kind of relative error normalization should we use?
- In the cases where we have multiple datasets, is it valuable to generate mean composite datasets with uncertainty?
- We could make a separate ILAMB configure file and collection of data for uncertainty experiments

Or should we rather assign expertly judged uncertainty to currently curated datasets?

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